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Forward optical flow



Backward optical flow



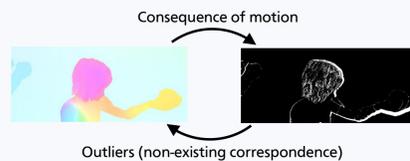
Occlusion map on the current frame



Occlusion map on the next frame

## Introduction

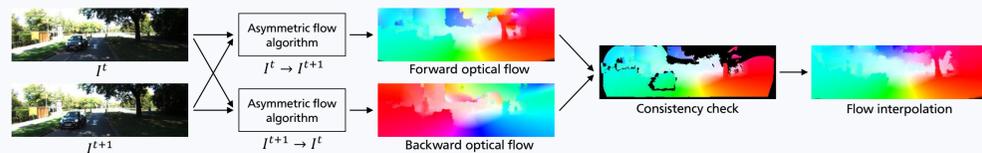
- Continued challenges for optical flow estimation: Large motion, illumination changes, and **occlusion**
- Optical Flow and occlusion estimation:** well-known chicken and egg problem



## Q) How can we resolve their mutual dependency?

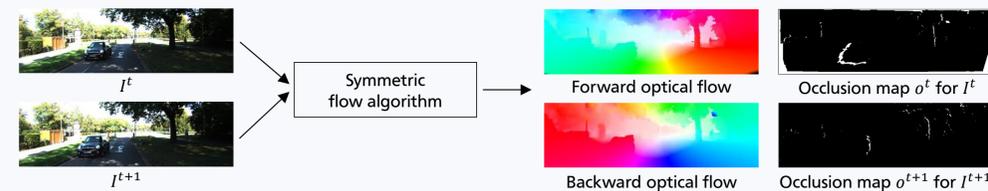
### Conventional optical flow approaches:

- Treat occlusions as **outliers** (violation of the basic optical flow assumptions)
- Asymmetric algorithm + post-processing
- Problem: occasional failures during post-processing are inevitable and irreversible



### Our approach:

- Occlusion estimated in a **joint objective**
- An integrative, symmetric approach (no post-processing required)
  - Jointly estimate **forward/backward flow, occlusion maps in both views**
  - Exploiting two key symmetry properties: forward/backward & occlusion/disocclusion
- Coupling two different problem domains
  - Better utilizing the available image evidence
  - Leading to a well-balanced solution



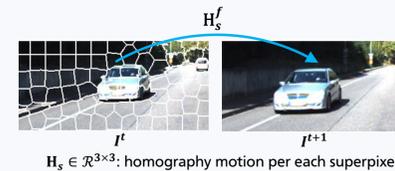
## Method

### Objective function:

$$E(\mathbf{H}^f, \mathbf{H}^b, o^t, o^{t+1}) = E_D(\mathbf{H}^f, \mathbf{H}^b, o^t, o^{t+1}) + \lambda_p E_p(\mathbf{H}^f, \mathbf{H}^b, o^t, o^{t+1}) + \lambda_c E_c(\mathbf{H}^f, \mathbf{H}^b, o^t, o^{t+1}) + \lambda_s E_s(o^t, o^{t+1})$$

Data term  
Pairwise term  
Forward-backward consistency term  
Occlusion-disocclusion symmetry term

$\mathbf{H}^f$ : Per-superpixel homography for forward motion  
 $\mathbf{H}^b$ : Per-superpixel homography for backward motion  
 $o^t$ : Per-pixel occlusion map for the current frame  
 $o^{t+1}$ : Per-pixel occlusion map for the next frame



	Visible pixels ( $o_p = 0$ )	Occluded pixels ( $o_p = 1$ )
Data term	Truncated ternary census transform	Constant penalty (avoiding the trivial solution)
Pairwise term	Penalizing motion & occlusion status in 8-neighborhood	
Consistency term	Forward-backward inconsistency penalty	0
Symmetry term	Occlusion-disocclusion inconsistency penalty	

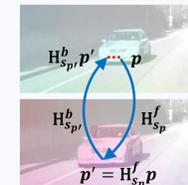
### Forward-backward consistency term

- Penalizing motion inconsistency only for visible pixels in both views

$$E_c(\mathbf{H}^f, \mathbf{H}^b, o^t, o^{t+1}) = \sum_{p \in I^t} C_p^f + \sum_{p \in I^{t+1}} C_p^b$$

$$C_p^f = \overline{o_p^t} \overline{o_{p'}^{t+1}} \rho_c(\|p - \mathbf{H}_{s_p}^b \mathbf{H}_{s_{p'}}^f p'\|) \quad p' = \mathbf{H}_{s_p}^f p$$

$$C_p^b = \overline{o_p^{t+1}} \overline{o_{p'}^t} \rho_c(\|p - \mathbf{H}_{s_p}^f \mathbf{H}_{s_{p'}}^b p'\|) \quad p' = \mathbf{H}_{s_p}^b p$$



### Occlusion-disocclusion symmetry term

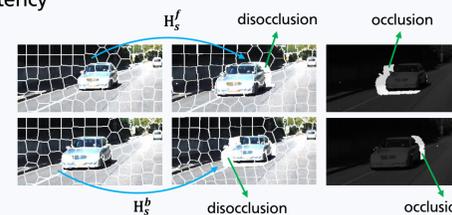
- Penalizing occlusion and disocclusion inconsistency

$$E_s(o^t, o^{t+1}) = \sum_{p \in I^t} o_p^t \odot N_p^{t+1} + \sum_{p \in I^{t+1}} o_p^{t+1} \odot N_p^{t+1}$$

$$N_p^{t+1} = |\{p \mid p = \mathbf{H}_{s_p}^f p', \forall p' \in I^t\}|$$

$$N_p^t = |\{p \mid p = \mathbf{H}_{s_p}^b p', \forall p' \in I^{t+1}\}|$$

(Number of pixels that are mapped to  $p$  from warping)



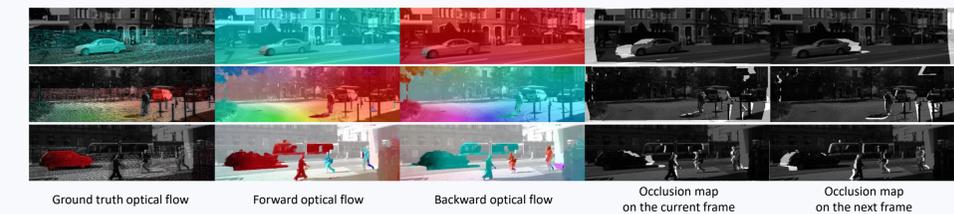
### Optimization (block coordinate descent)

- Estimating  $\mathbf{H}_s^f$  and  $\mathbf{H}_s^b$ : discrete multi-label optimization
  - Collecting proposal homography motions
  - Fusion moves
- Estimating  $o^t, o^{t+1}$ : binary optimization
  - Standard graph cut

## Experiments

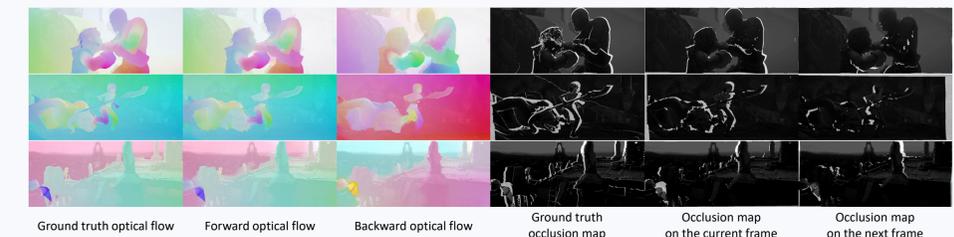
### KITTI Optical Flow 2015

- #1 two-frame based optical flow method
- Lowest flow error rates in occluded regions



### MPI Sintel Flow Dataset

- #2 in the Clean pass



Method	Non-occluded pixels			All pixels		
	Fi-bg	Fi-fg	Fi-all	Fi-bg	Fi-fg	Fi-all
Ours (MirrorFlow)	6.24%	12.95%	7.46%	8.93%	17.02%	10.29%
FlowNet2 [1]	7.24%	5.60%	6.94%	10.75%	8.75%	10.41%
SDF [2]	5.75%	18.38%	8.04%	8.61%	23.01%	11.01%
MR-Flow [3]	6.86%	17.91%	8.86%	10.13%	22.51%	12.19%
DCFlow [4]	8.04%	19.84%	10.18%	13.10%	23.70%	14.86%

KITTI Optical Flow 2015 \* Flow outlier rates

Method	Final pass			Clean pass		
	EPE all	EPE nocc.	EPE occ.	EPE all	EPE nocc.	EPE occ.
Ours (MirrorFlow)	6.071	3.186	29.567	3.316	1.338	19.470
DCFlow [4]	5.119	2.283	28.228	3.537	1.103	23.394
FlowFieldsCNN [5]	5.363	2.303	30.313	3.778	0.996	26.469
MR-Flow [3]	5.376	2.818	26.235	2.527	0.954	15.365
S2F [6]	5.417	2.549	28.795	3.500	0.988	23.986
RicFlow [7]	5.620	2.765	28.907	3.550	1.264	22.220

MPI Sintel Flow Dataset \* EPE (End-point error)

### Ablation study

- The occlusion-disocclusion symmetry term contributes the most
- The F/B consistency term boosts the quality of the results further, but only when the symmetry term is turned on

Usage of terms	Non-occluded pixels			All pixels			
	Occ/Disocc symmetry	F/B Consistency	Fi-bg	Fi-fg	Fi-all	Fi-bg	Fi-fg
Yes	Yes	6.52%	11.72%	7.41%	9.26%	13.94%	9.98%
Yes	No	6.73%	11.90%	7.62%	9.49%	14.04%	10.19%
No	Yes	10.41%	18.17%	11.74%	13.72%	20.40%	14.74%
No	No	8.39%	14.97%	9.51%	11.82%	17.41%	12.68%

## Conclusions & Future Work

- Our joint, symmetric design yields significant improvements in flow estimation accuracy, especially in occluded areas.
- Leading results on public benchmarks even without employing any semantic knowledge or learning of appearance descriptors.
- Enabling to handle non-rigid motion, exploiting semantic knowledge, and using learned descriptors are natural next steps.

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